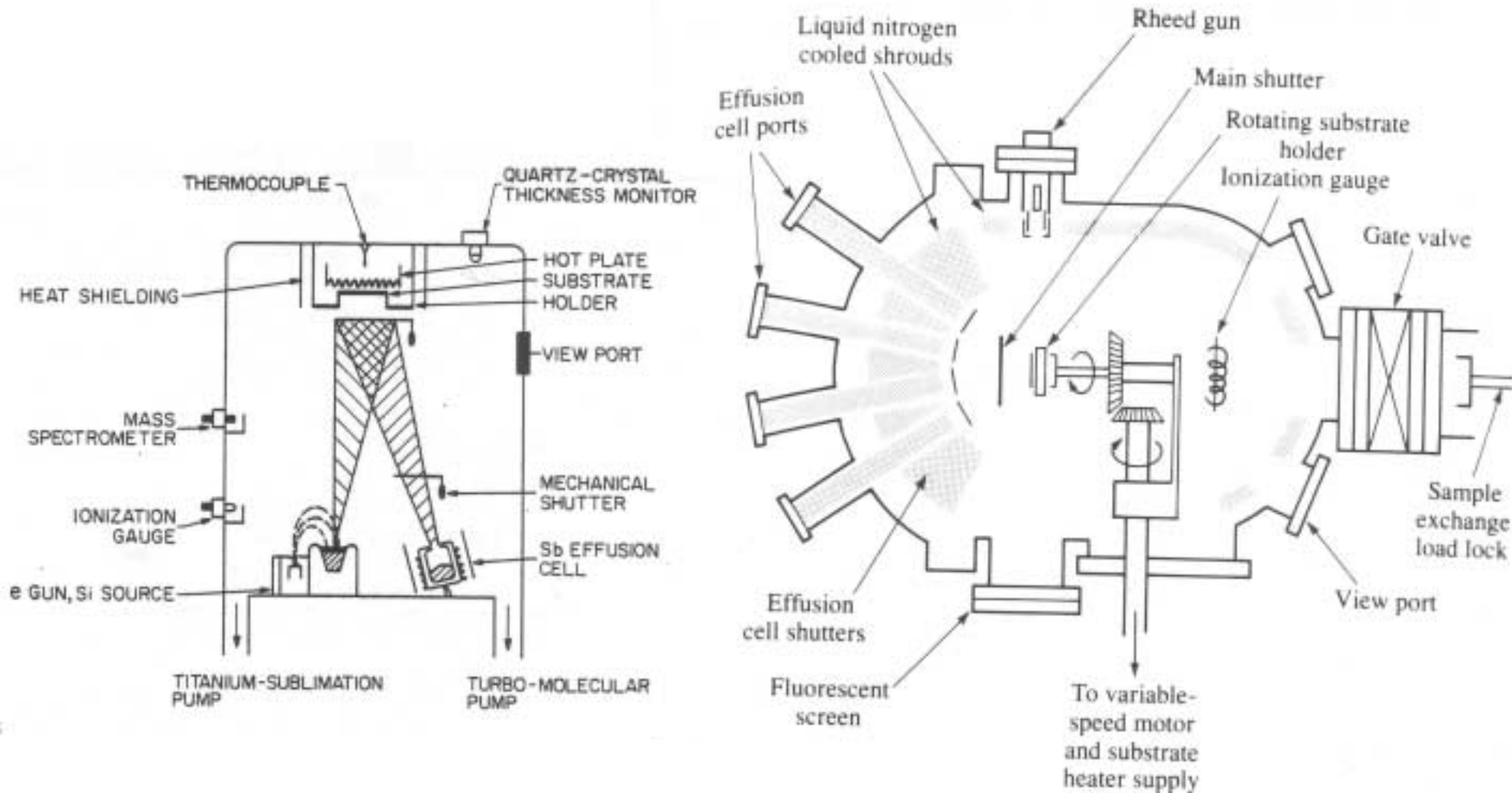


Molecular Beam Epitaxy (MBE)

- An evaporation method to bring the atoms to the surface one by one (almost like laying bricks) at very low pressures such that $\lambda_{mf} \gg L$
- Advantages:
 - Precise layer by layer control of epitaxial films and doping
 - Not complicated by transport effects
 - No gas phase reactions
- Important Issues
 - How quickly does the source evaporate?
 - What is the deposition rate on the substrate?
 - What determines uniformity?
 - Growth mode and surface diffusion
 - Defects

Typical MBE Apparatus



Evaporation from a source, Knudsen Cell

Hertz-Knudsen Equation

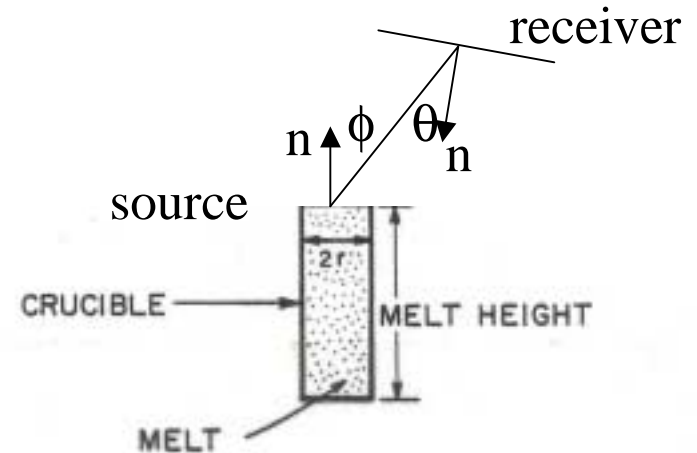
$$F_e = \frac{N \langle v \rangle}{4} = \frac{1}{4} \frac{P_v}{kT} \sqrt{\frac{8kT}{\pi m}} = \frac{P_v}{\sqrt{2\pi m kT}}$$

P_v = vapor pressure at source T

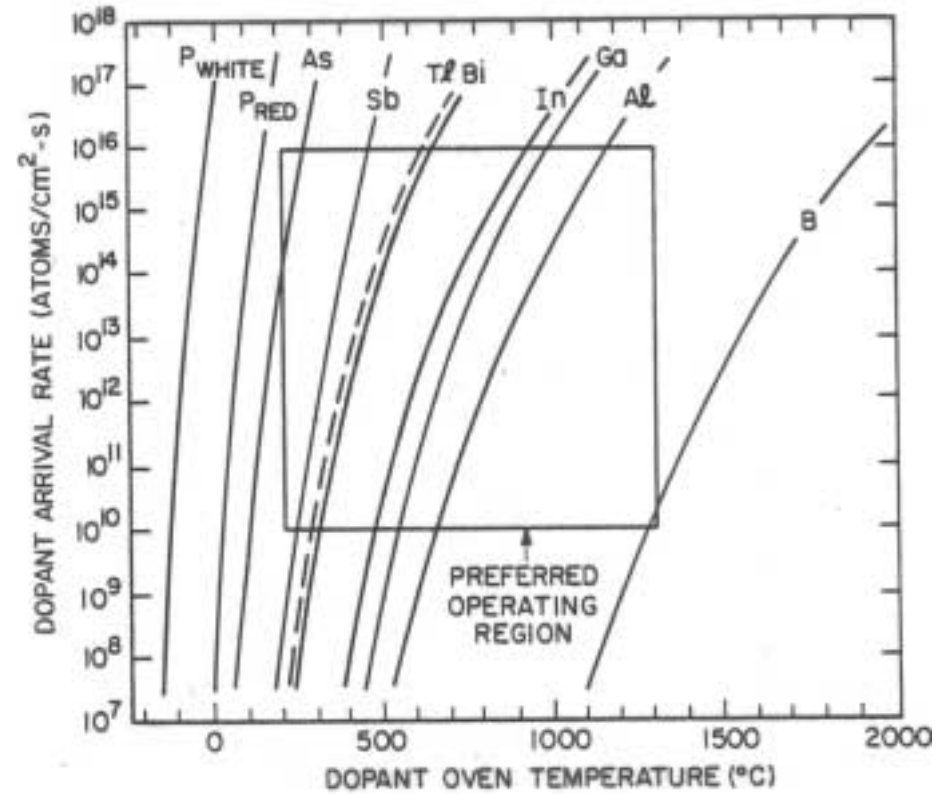
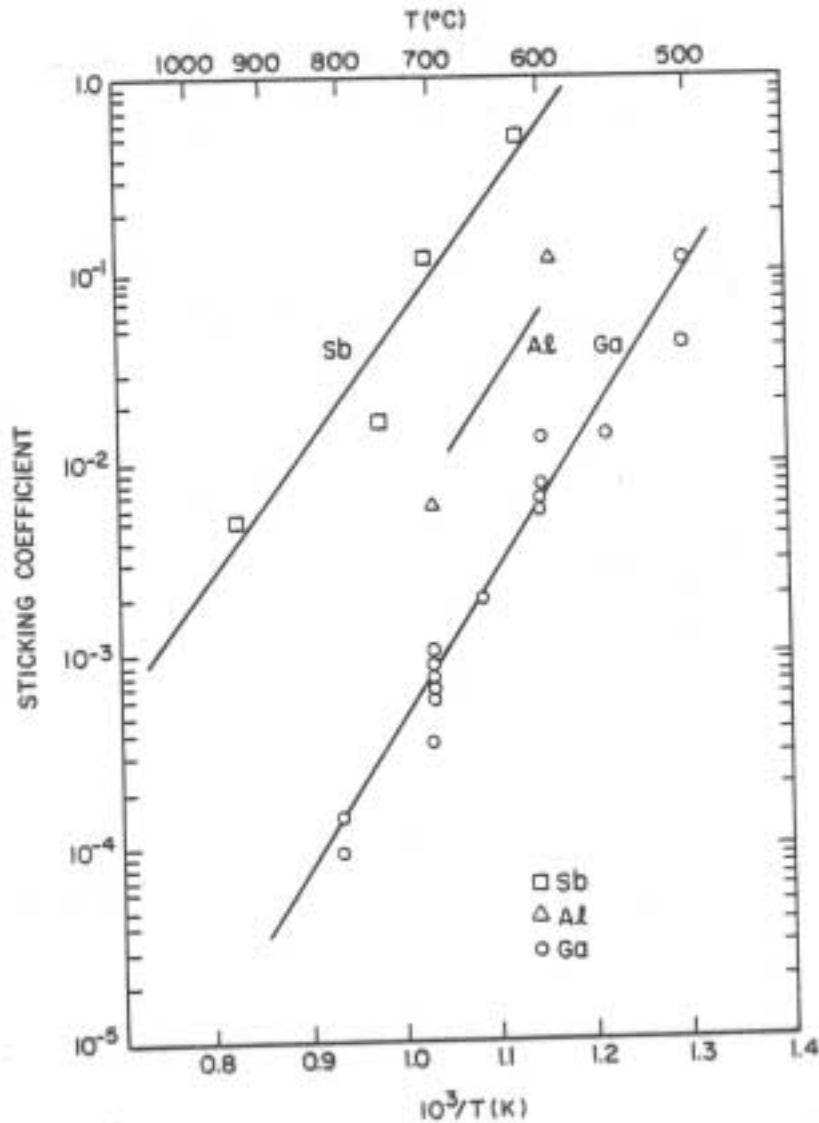
$$F_{eT} = \int_{A_s} F_e dA_s$$

$$r_D = \frac{F_{eT} S}{\pi r^2} \cos \phi \cos \theta$$

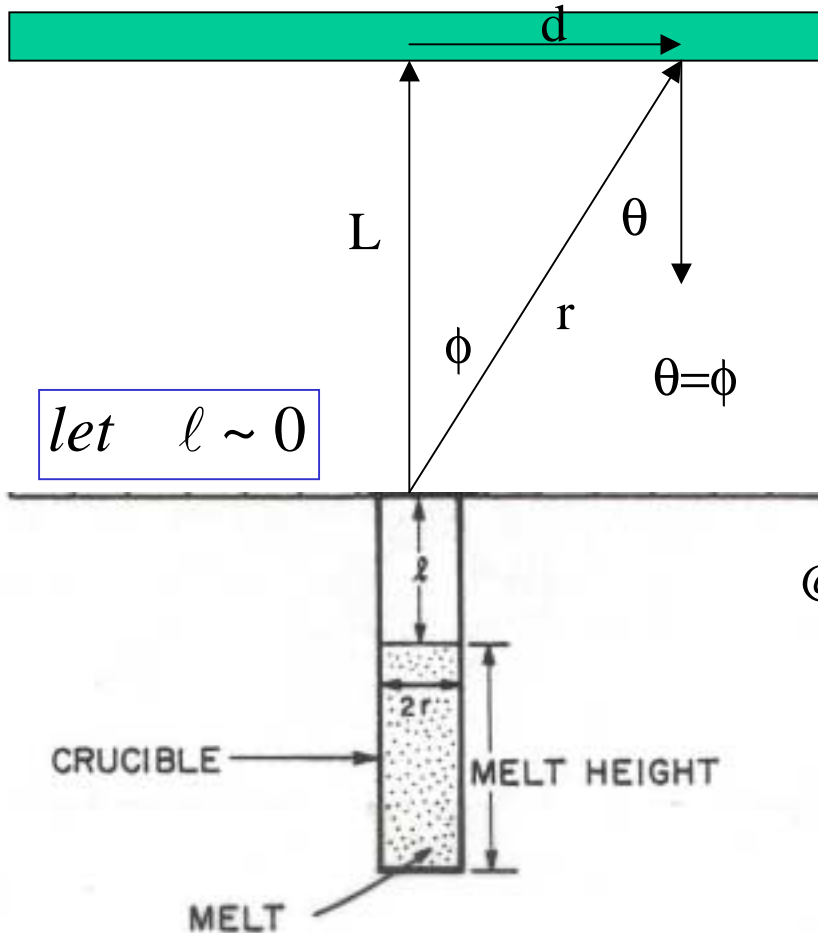
Sticking probability



T dependence of P_v and S for common MBE materials



Deposition Uniformity



let $l \sim 0$

Centerline deposition rate

$$r_{D0} = \frac{F_{eT} S}{\pi L^2}$$

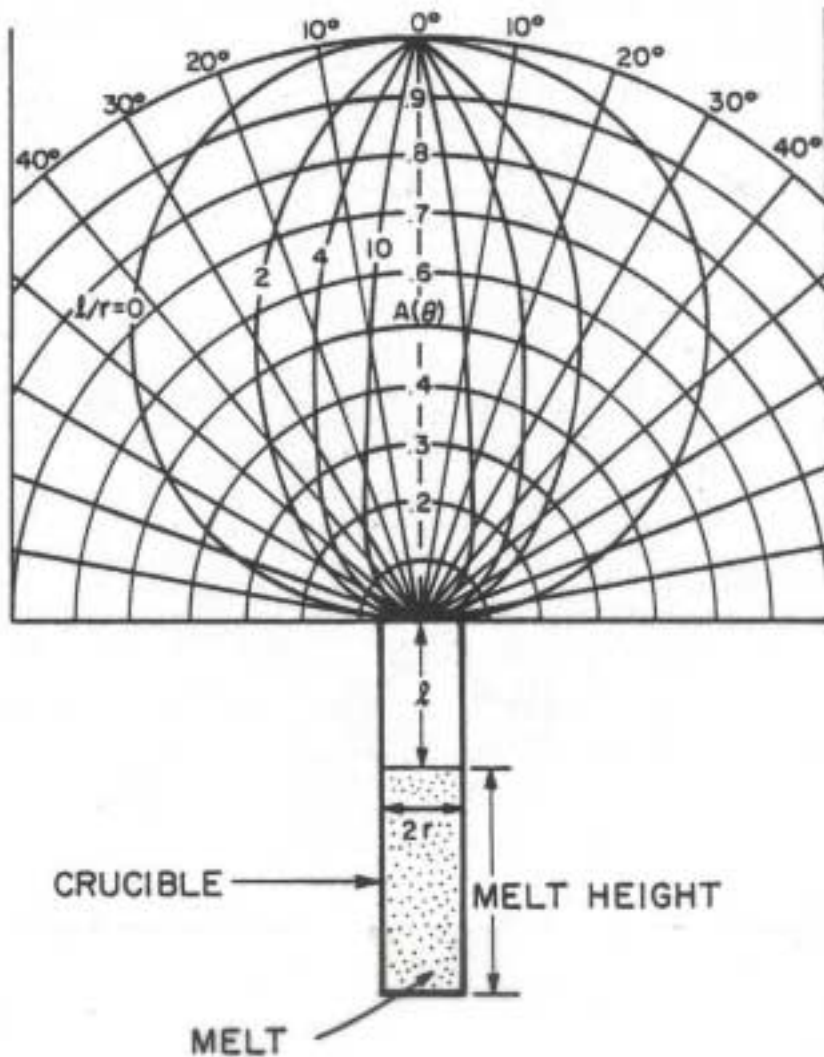
$$\cos \phi = \frac{L}{\sqrt{L^2 + d^2}} \quad \text{and} \quad r^2 = L^2 + d^2$$

$$r_D(d) = \frac{F_{eT} S}{\pi(L^2 + d^2)} \left(\frac{L}{\sqrt{L^2 + d^2}} \right)^2$$

$$r_D(d) = \frac{F_{eT} S}{\pi} \left(\frac{L}{L^2 + d^2} \right)^2$$

@ d

Deposition Uniformity

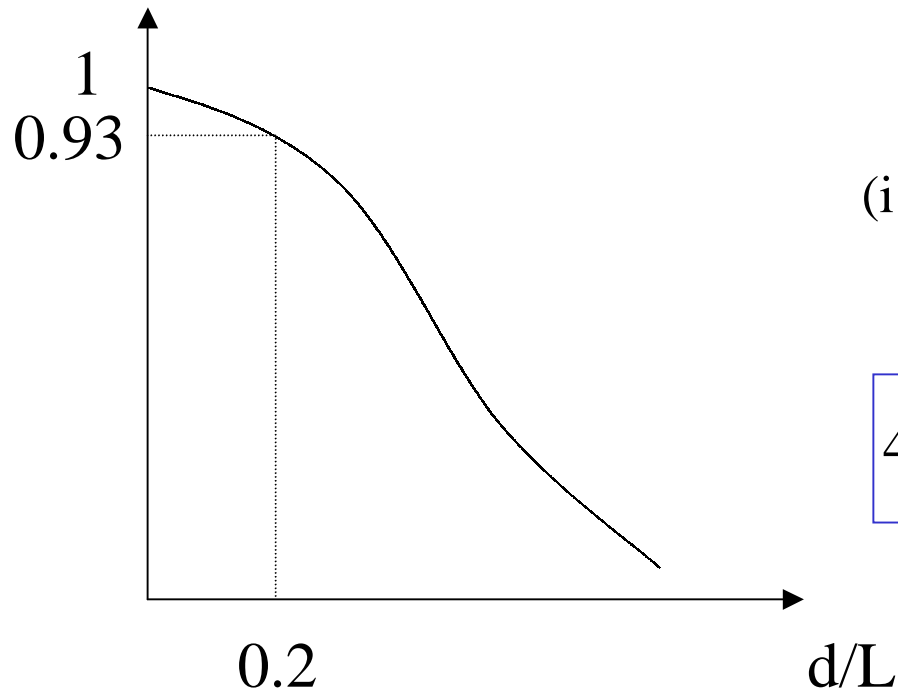


$$U = \frac{r_D}{r_{D0}} = \frac{F_{eT} S / \pi}{F_{eT} S / \pi} \frac{L^2}{(L^2 + d^2)^2}$$

$$U = \frac{r_D}{r_{D0}} = \frac{L^4}{(L^2 + d^2)^2}$$

$$U = \frac{r_D}{r_{D0}} = \frac{1}{(1 + (d/L)^2)^2}$$

Deposition Uniformity



$$\text{as } d/L \rightarrow 0 \quad U = \frac{r_D}{r_{D0}} \rightarrow 1$$

(i.e., as L gets large but also r_D decreases)

$$4'' \text{ wafer} \Rightarrow d = 2'' \quad L = \frac{2''}{0.2} = 10''$$